# ACOUSTICS2008/699 <br> The multiple side-branch system as a model for a corrugated pipe 

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Corrugated pipes are used as flexible risers in offshore natural gas production and for vacuum cleaners. Such pipes can display whistling. As theoretical models are available to predict the aero-acoustical behaviour of closed side branches [1], we consider a row of equally spaced closed side branches along a pipe, as a model for a corrugated pipe. We consider side branches with a diameter D and depth L equal to the main pipe diameter, placed at a distance of three diameters from each other. For systems of 11 or 12 side branches the lowest resonance modes are reasonably well predicted by assuming $n(\lambda / 2)$ standing wave modes with an effective speed of sound $c_{\text {eff }}[2]$. Whistling is observed for the $\mathrm{n}=2$ and $\mathrm{n}=3$ modes with a pressure fluctuation amplitude $p^{\prime} /\left(\rho_{0} \mathrm{c}_{0} \mathrm{U}_{0}\right)=\mathrm{O}\left(2 \times 10^{-2}\right)$ similar to that observed for sharp edges corrugations in a corrugated pipe (with $\rho_{0}$ the fluid density, $c_{0}$ the speed of sound and $U_{0}$ the main flow velocity). The Strouhal number of these oscillations is $\operatorname{Sr} D=(f \cdot D) / U_{0} \simeq 0,70$. This is higher than typical values observed for corrugated tubes [3].

## References:

[1] J.C.Bruggeman et al., J. Sound and Vibration 1991 150(4) 371-393. [2] J.W.Elliot, in "Lecture Notes on the Mathematics of Acoustics" M.C.M.Wrigth, Imperial College Press, London (2005). [3] S.Belfroid et al., ASME paper PVP2007-26503.

